

Fast simulation of acceptance and resolutions

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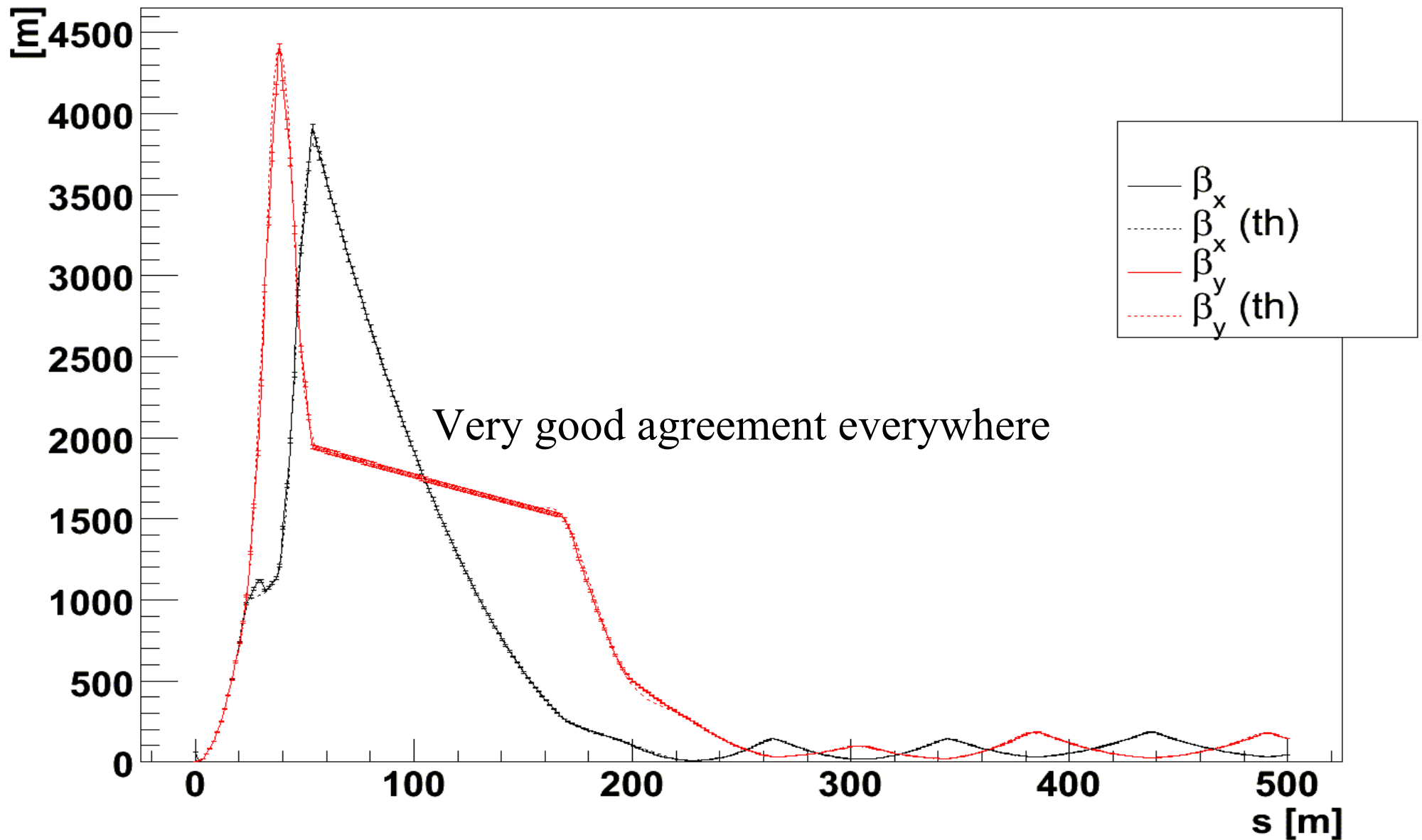
- The beam @ 420 m
- Acceptance
- Resolution of Energy & Q^2 reconstruction
- Diffractive background

Beam parameters

- Beam size at IP : $11.8 \times 11.8 \mu\text{m}$
- Beam divergence at IP : $30.2 \times 30.2 \mu\text{rad}$
- Energy divergence : 0.7 GeV
- Using optics version 6.5
- Kickers included, but giving unstable results -> Switched off (crossing angle = 0)

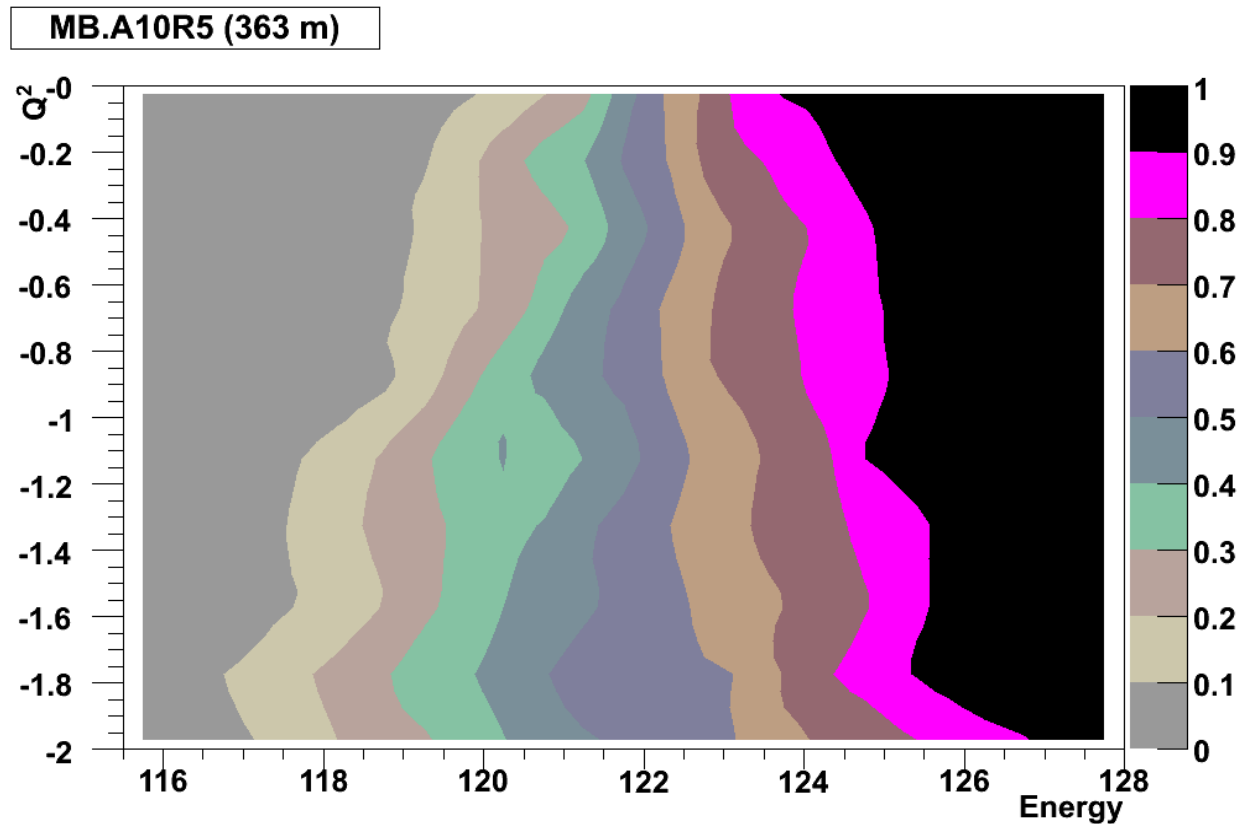
Beam envelope check

Beam size (β) simulation :



Acceptance @ 420 m

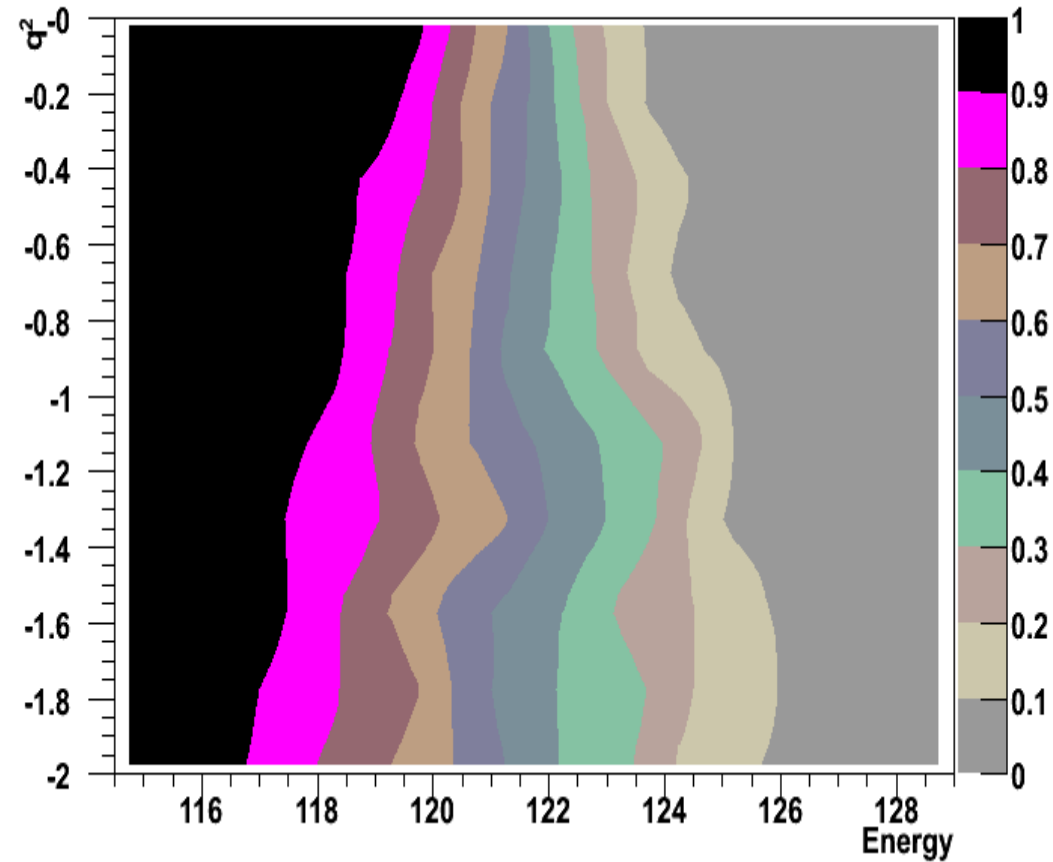
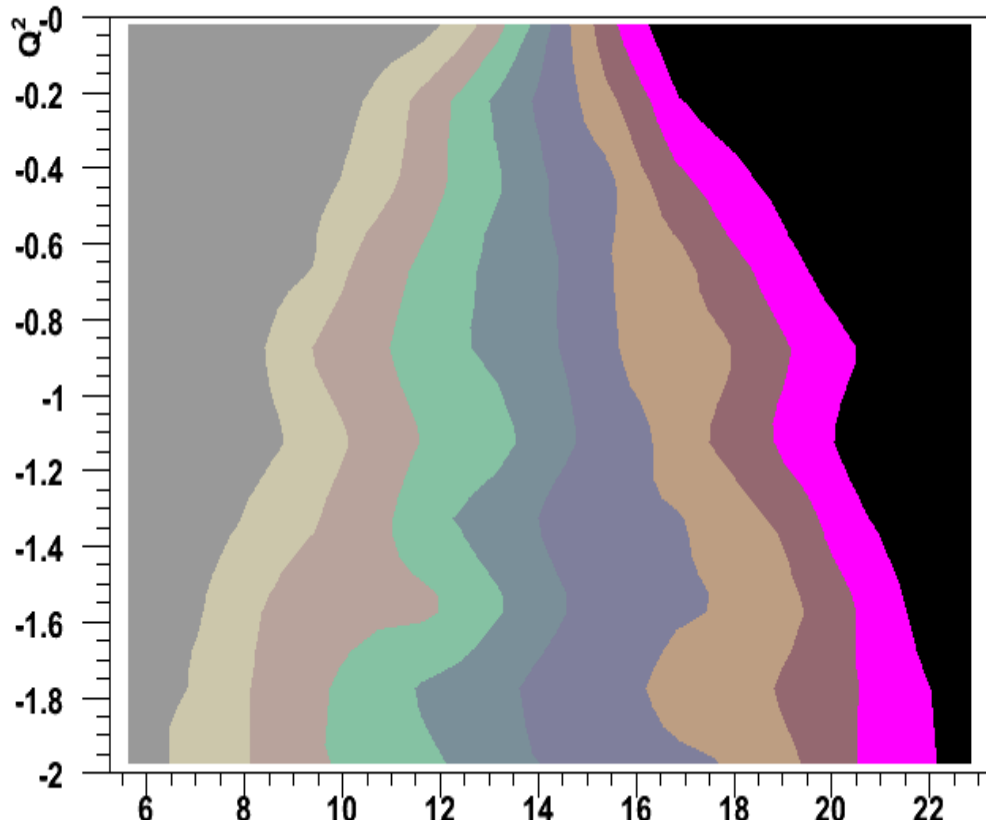
- Lower energy limit given by distance of detector from beam : 3mm ($\sim 12.4 \sigma$).
- Higher energy limit : beam elements aperture. Main aperture limitation is @ 363m.



Acceptance (II)

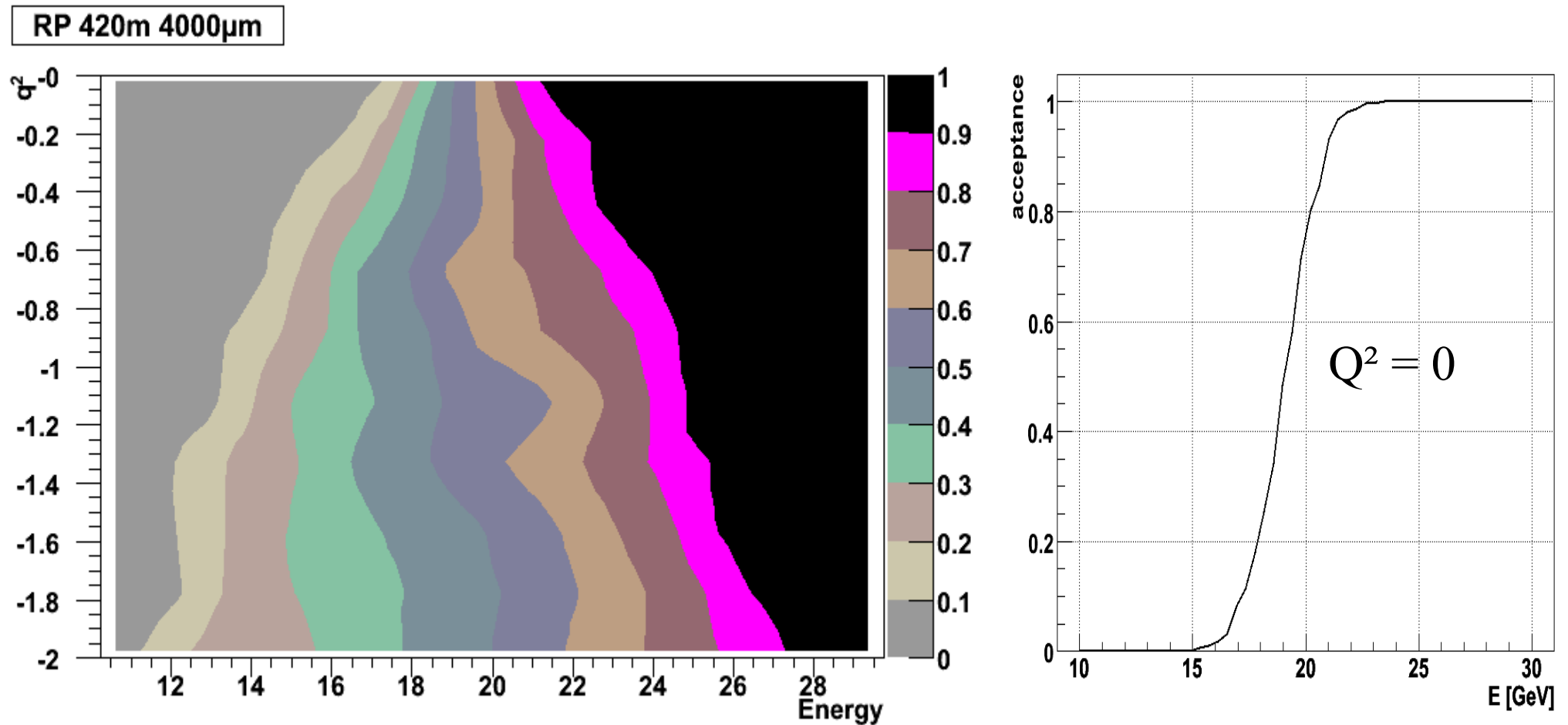
Full detector geometric acceptance (3mm, beam 1):

RP 420m 3000 μ m



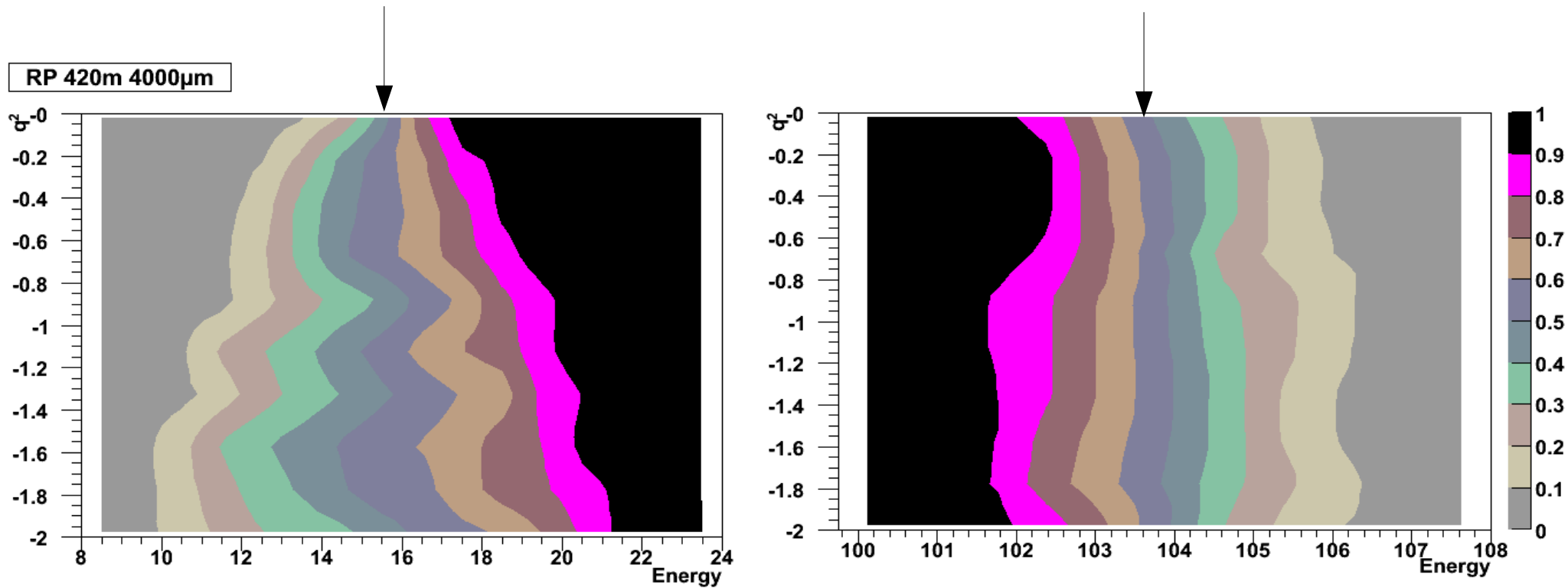
Acceptance (III)

Moving the detector to 4mm :



Acceptance (IV)

Beam 2 :



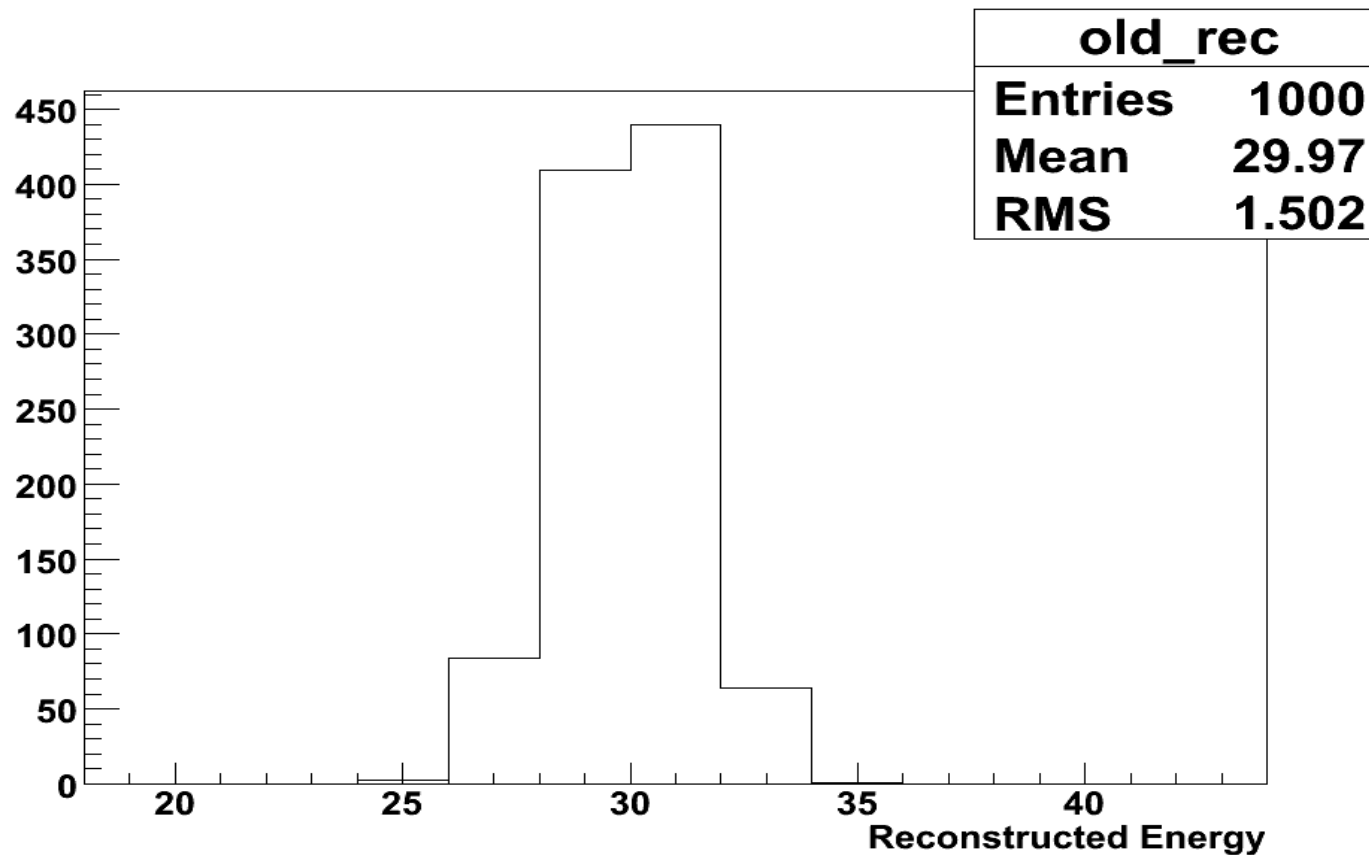
- Window is moved from 20 - 122 GeV to 16 - 104 GeV
- Upper limit is less sensitive to Q^2

Energy / Q^2 reconstruction

- Two methods for Energy:
 - Method I : $E = x / \text{dispersion}$
 - Method II : E is computed by inverting the propagation matrix, to compensate for angle effects
- Q^2 is computed from matrix inversion
- Contributions to the reconstruction resolution :
 - Beam transverse size
 - Beam angular divergence
 - Energy spread
 - Detector resolution

Energy / Q^2 reconstruction (II)

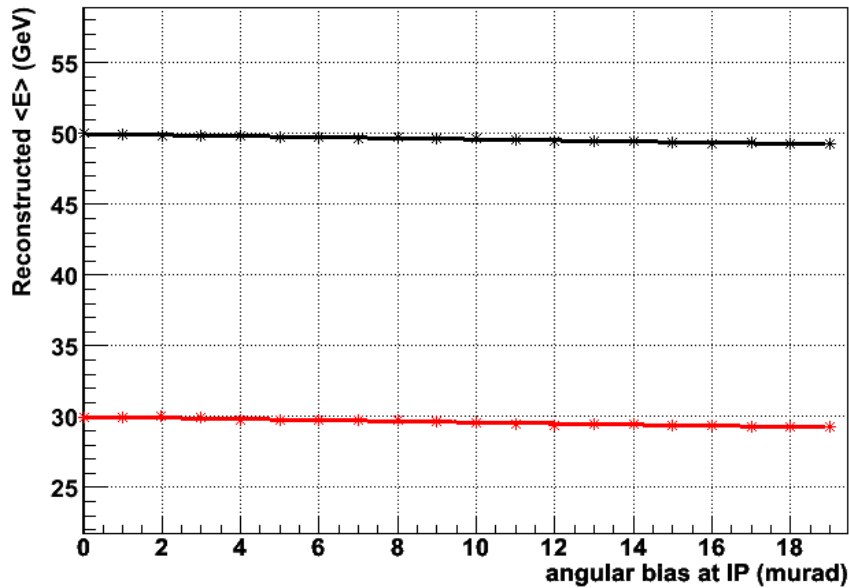
I) Beam spread + detector resolution ($10\ \mu\text{m}$) included ($Q^2 = 0$, method I) :



Not sensitive to detector resolution

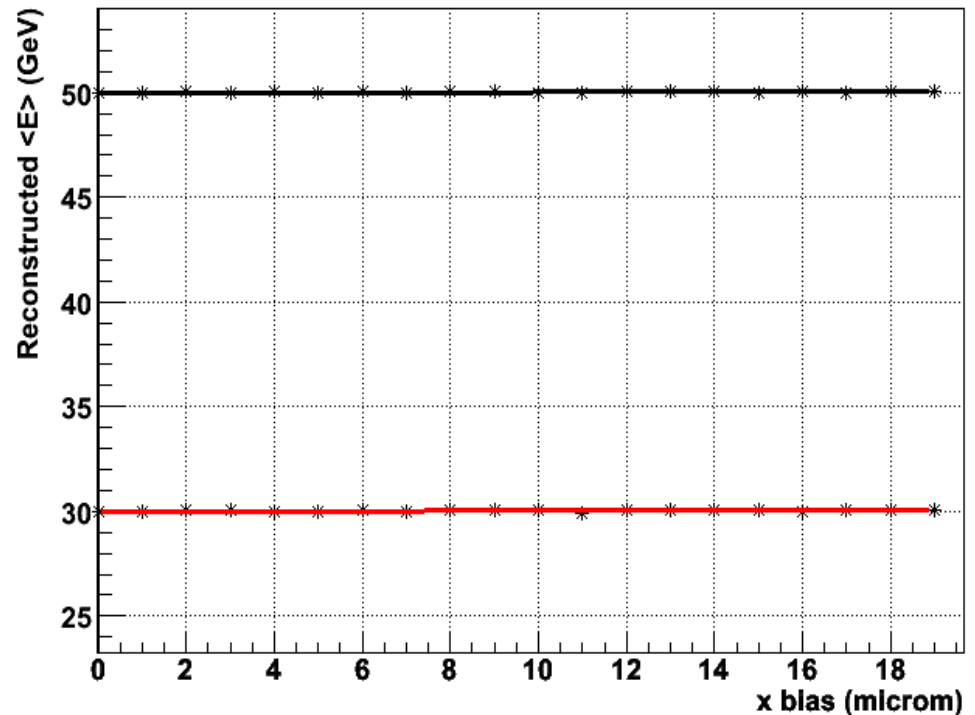
Energy reconstruction

Effect of an angular / spatial bias (in x) @ IP :



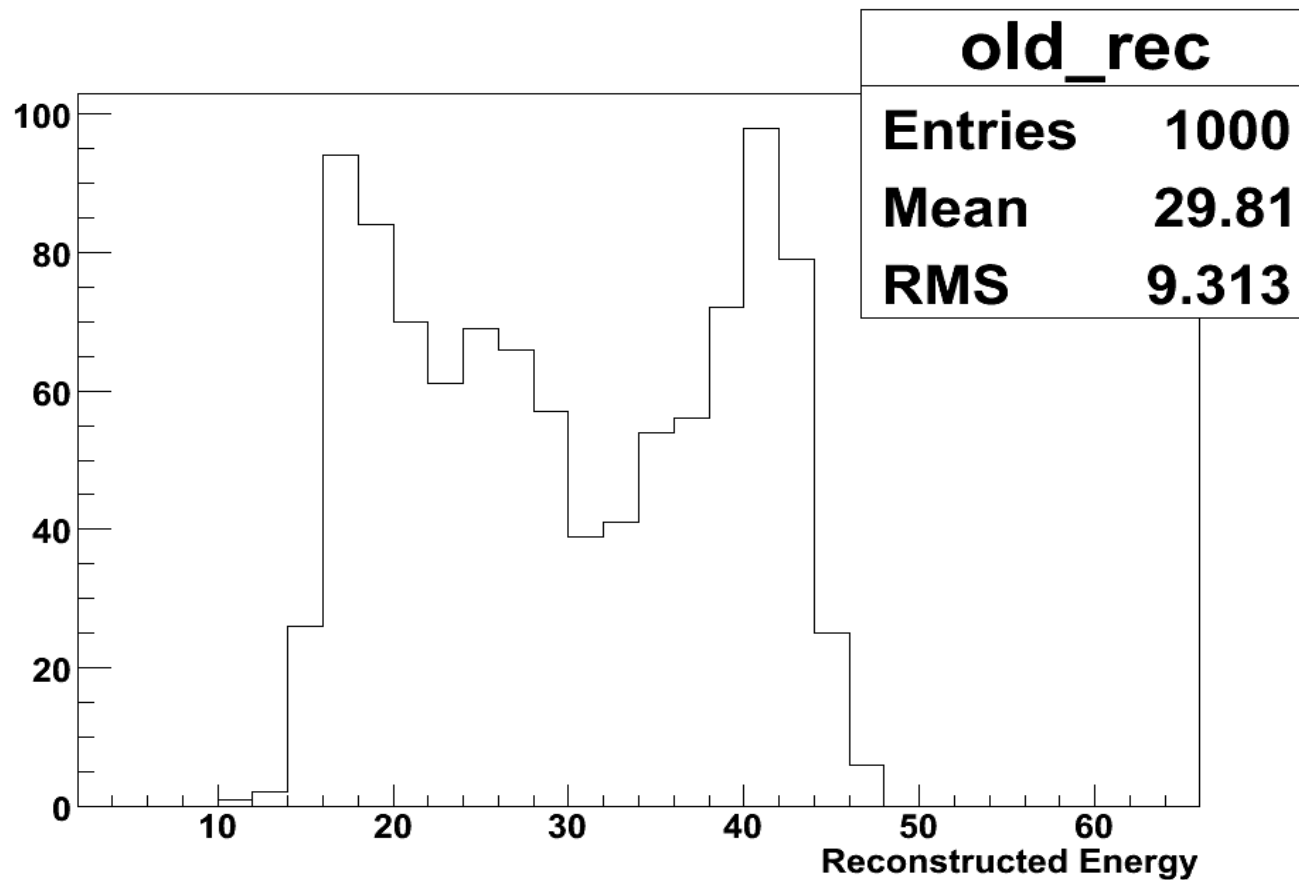
→ Bias : $\sim 0.04 \text{ GeV} / \mu\text{rad}$

Bias : $\sim 0.002 \text{ GeV} / \mu\text{m}$ ←



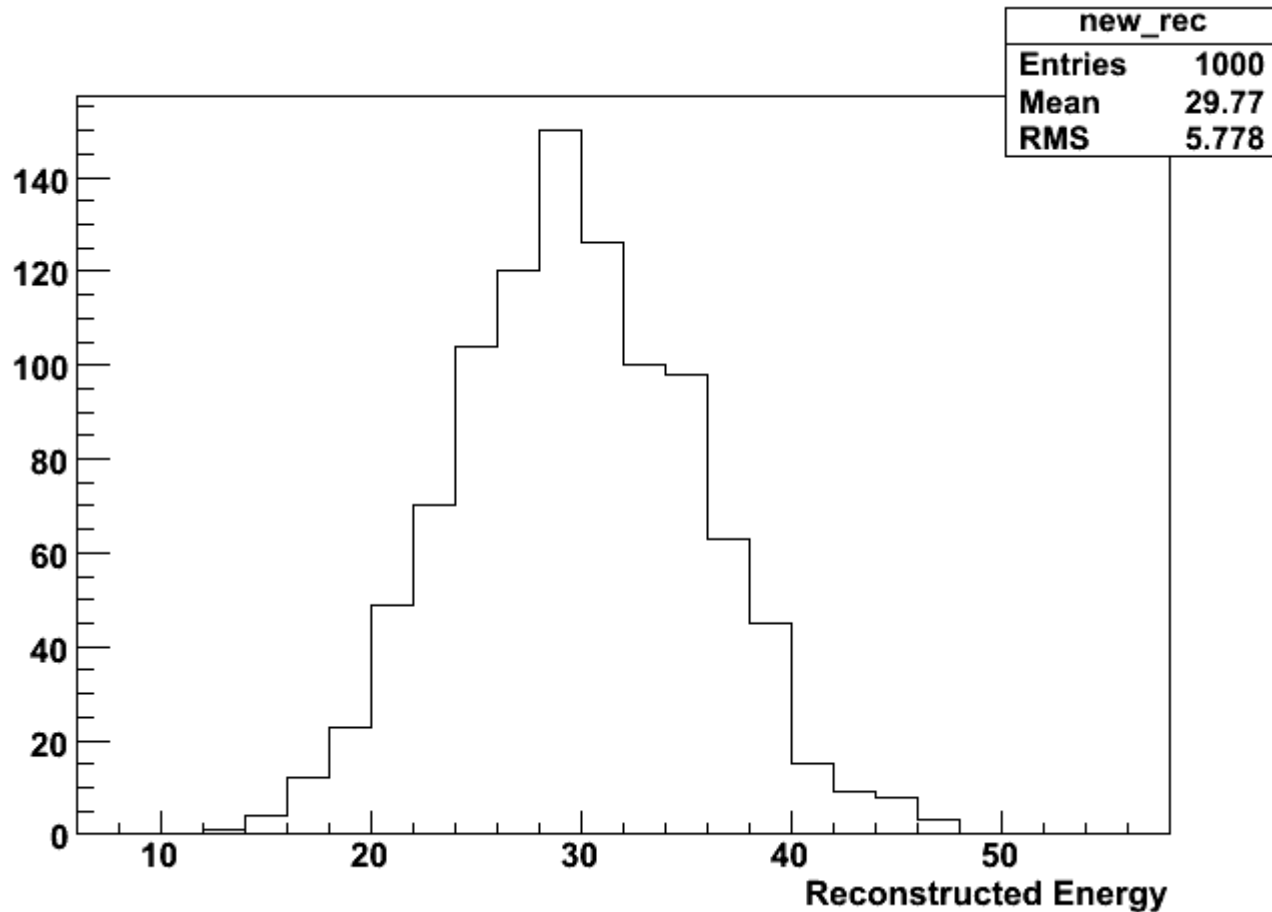
Resolution (III)

II) Q^2 effect (5 GeV², method I) :



Resolution (IV)

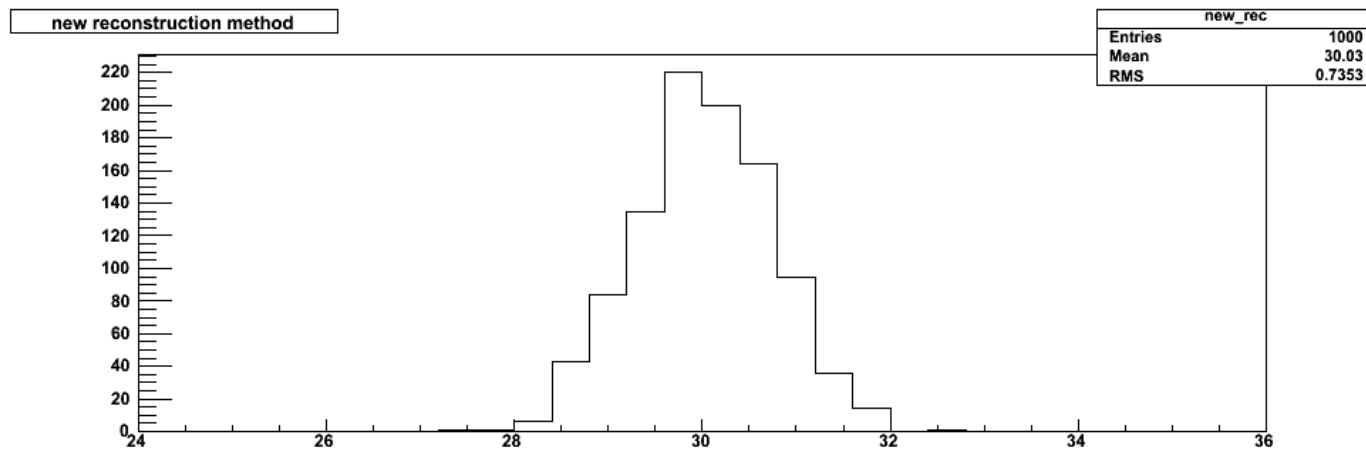
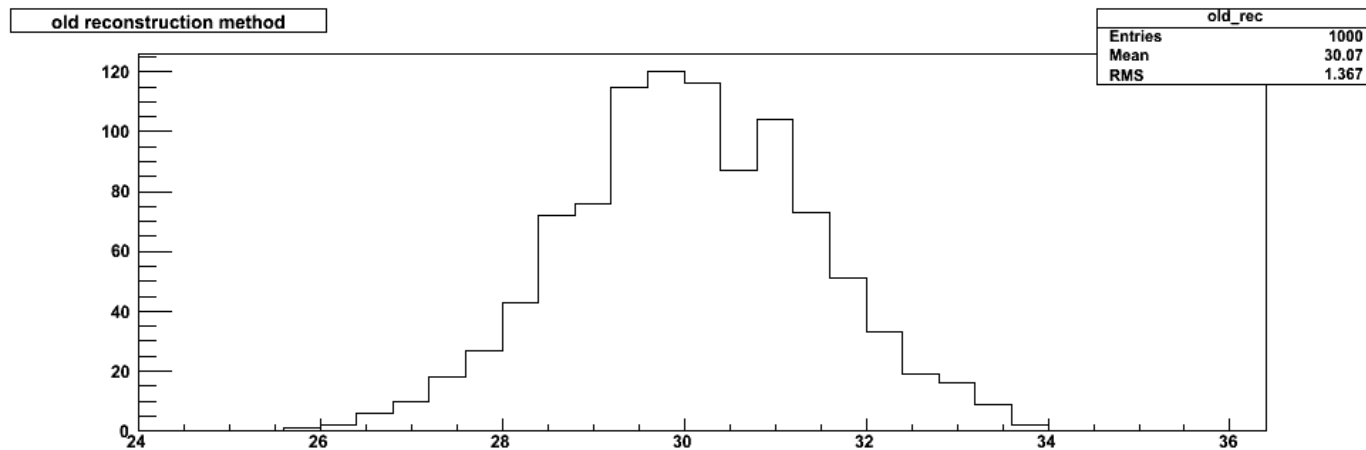
III) $Q^2 = 5 \text{ GeV}^2$, Method II (successful)



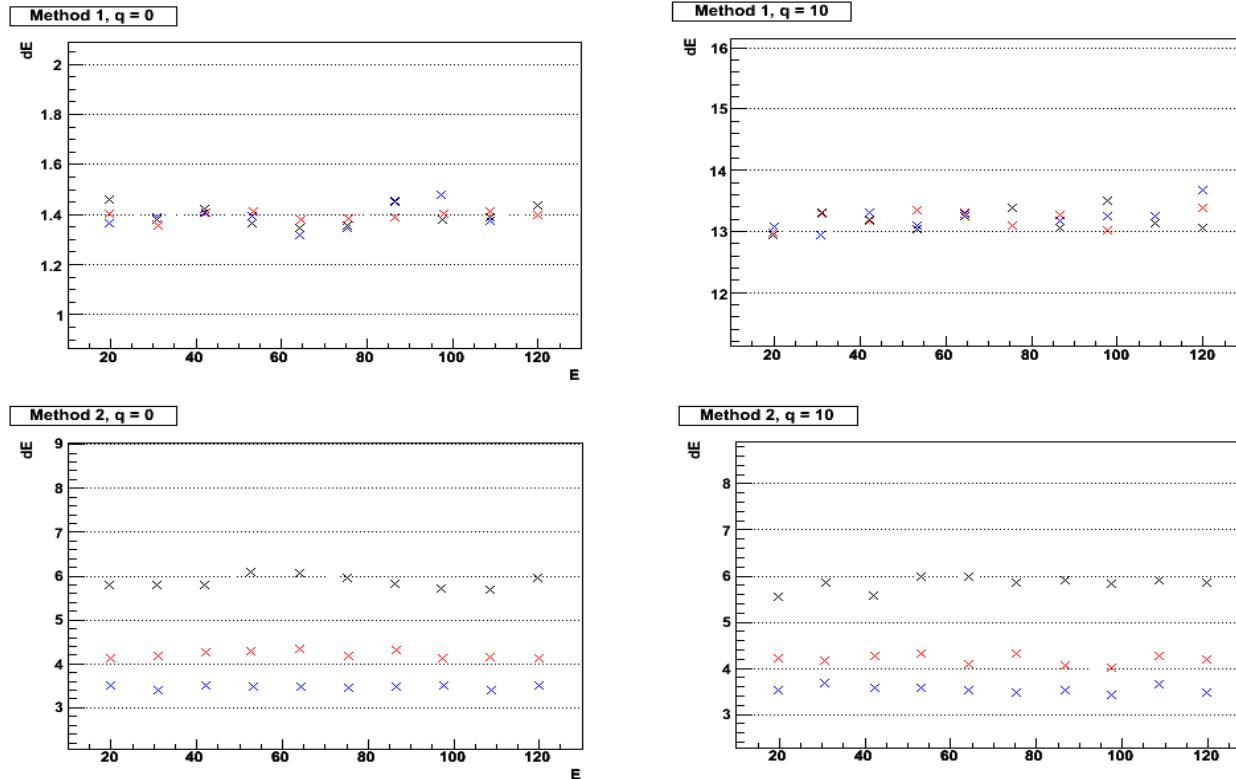
But : **Very** sensitive to small errors in position measurements !!!

Resolution (V)

Ideal case : perfect knowledge of vertex position, perfect detector, but nominal beam angular divergence and energy spread.



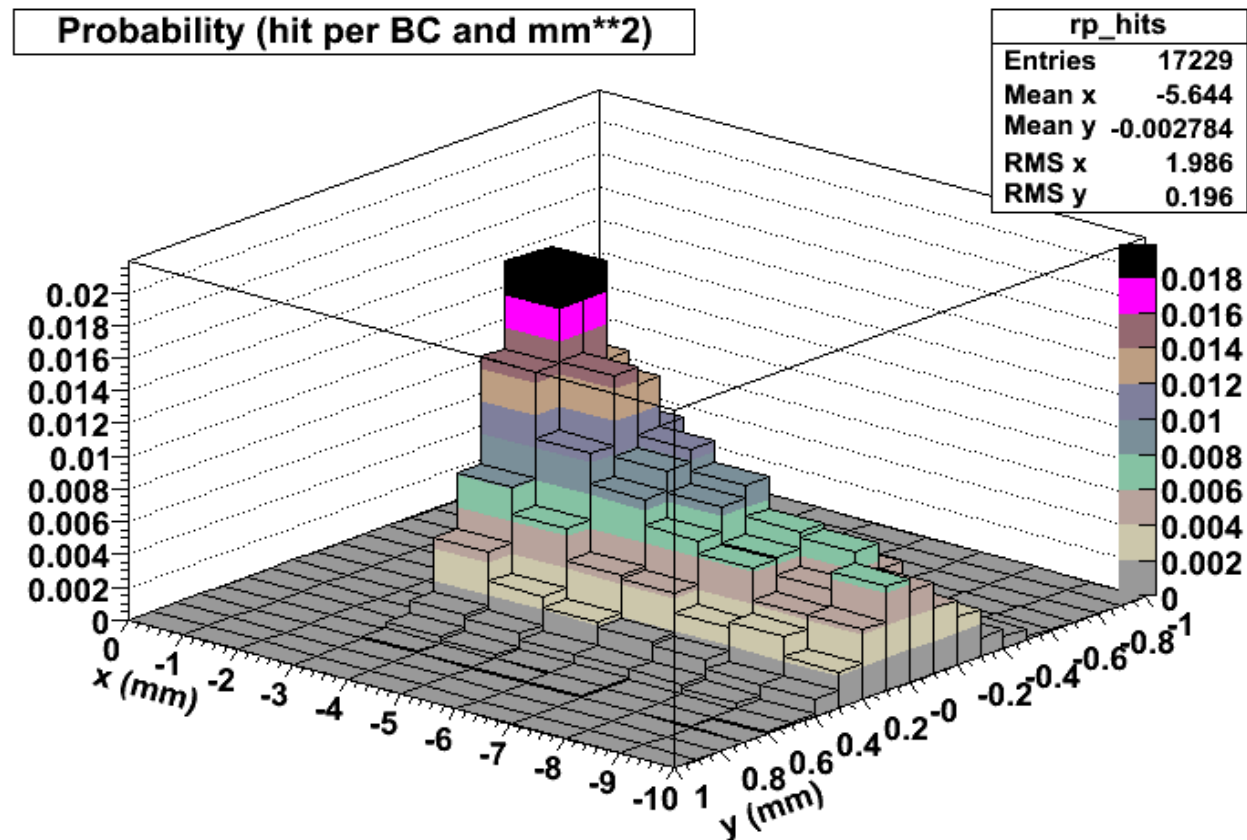
Resolution (VI)



- Problem : we have two methods good at low / high Q^2 respectively
- Possible scenarios : depending on physics, we can assume $Q^2 = 0$ or not.
- Problem (II) Q^2 resolution is poor ($\sim 3\text{GeV}^2$)

Diffractive Background

- Main background is due to **diffractive processes** with a simultaneous central detector event.
- lumi : $2 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$, $\sigma \sim 7.15 \text{ mb}$
- PYTHIA (6.2) was used (single diffraction $pp \rightarrow pX$).



Background (II)

This means that :

- We have a hit in the detectors in $\sim 6.5\%$ of BC.
- Fluency in the detector is of the order of $\sim 1.3 * 10^{14}$ (“worst” part), which requires good radiation hardness.